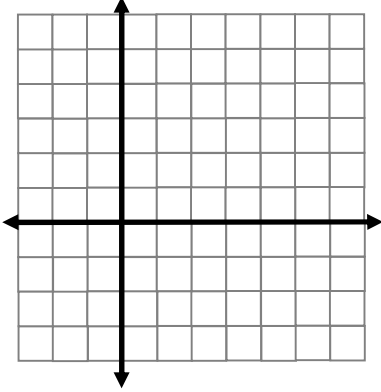


Remember: The equations for a circle is $(x - h)^2 + (y - k)^2 = r^2$. For review, check the class website, lesson 1.9.

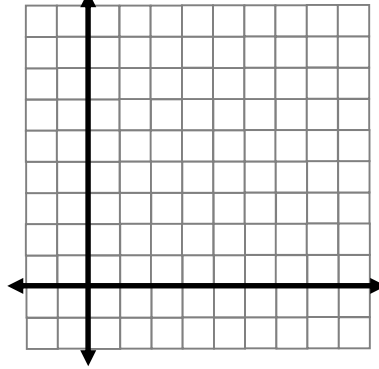
Note: If r^2 is not a perfect square then leave r in simplest radical form. Use the decimal equivalent for graphing. Example: $\sqrt{12} = 2\sqrt{3} = 3.46$

1) **Graph the following circle:**

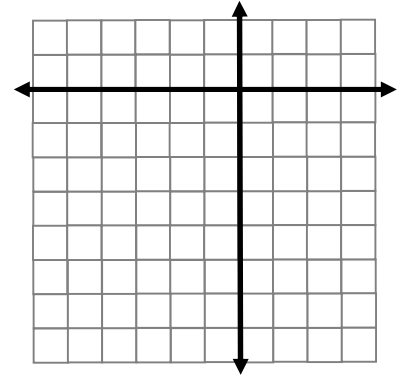
a. $(x - 3)^2 + (y + 1)^2 = 4$



b. $(x - 2)^2 + (y - 5)^2 = 9$



c. $(y + 4)^2 + (x + 2)^2 = 16$



2) **For each circle: Identify its center and radius.**

a. $(x + 3)^2 + (y - 1)^2 = 4$

Center: _____

Radius: _____

b. $x^2 + (y - 3)^2 = 18$

Center: _____

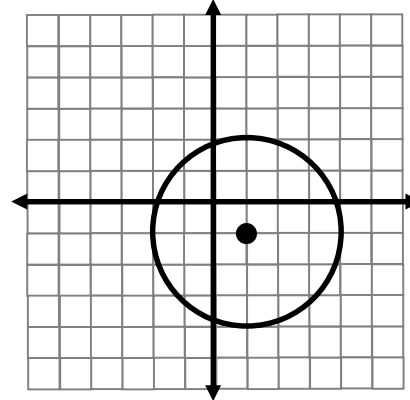
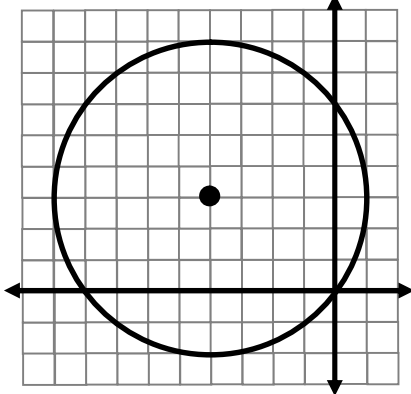
Radius: _____

c. $(y + 8)^2 + (x + 2)^2 = 72$

Center: _____

Radius: _____

3) **Write the equation of the following circles:**



4) Give the equation of the circle that is tangent to the y-axis and center is $(-3, 2)$.

5) **Compare and contrast the following pairs of circles**

a. Circle #1: $(x - 3)^2 + (y + 1)^2 = 25$

Circle #2: $(x + 1)^2 + (y - 2)^2 = 25$

b. Circle #1: $(y + 4)^2 + (x + 7)^2 = 6$

Circle #2: $(x + 7)^2 + (y + 4)^2 = 36$

Putting Equations in Standard Form

Example 1: $x^2 + y^2 + 6x - 8y - 11 = 0$

$$(x^2 + 6x) + (y^2 - 8y) = 11$$

$$(x^2 + 6x + 9) + (y^2 - 8y + 16) = 11 + 9 + 16$$

$$(x + 3)^2 + (y - 4)^2 = 36$$

Center: (-3, 4) Radius: 6

Example 2: $x^2 + y^2 - 2x + 6y - 10 = 0$

Center: _____ Radius: _____

6) Find the standard form, center, and radius of the following circles:

6a) $x^2 + y^2 - 4x + 8y - 5 = 0$

6b) $4x^2 + 4y^2 + 36y + 5 = 0$

Center: _____

Radius: _____

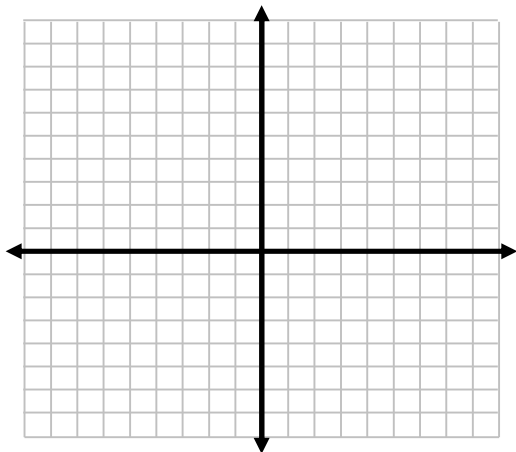
Center: _____

Radius: _____

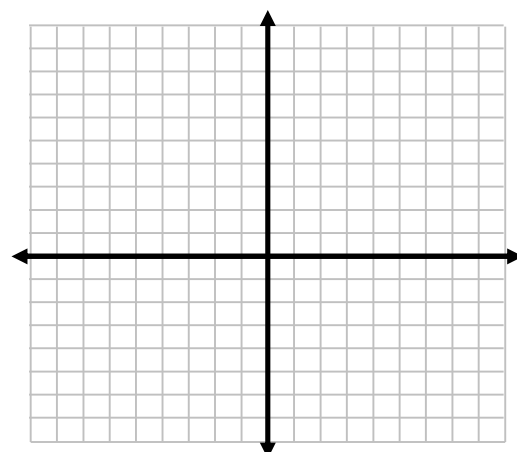
7) Graph the following circles:

7a) $x^2 - 2x + y^2 + 8y - 8 = 0$

7b) $x^2 + y^2 - 6x + 4y - 3 = 0$



8) Give the equation of the circle whose center is (5,-3) and goes through (2,5)



9) Give the equation whose endpoints of a diameter at (-4,1) and (4, -5)

10) Give the equation of the circle whose center is (4,-3) and goes through (1,5)

11) Give the equation whose endpoints of a diameter at (-3,2) and (1, -5)